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Enclosed in this month's "Transactor" is a copy of Jim Butterfield's memory map. Generally it's a listing of what is contained in PET memory and where. Although other maps have been published in previous bulletins, I found Jim's to be the most comprehensive thus far. It lists nearly all of the subroutines that PET has in ROM and also the areas of RAM that PET uses as registers and buffers. For those who haven't used a memory map it's as easy as using a city road map. We'll explore this simplicity with a few examples but first a brief explanation of PET memory and the memory map.

## ADDRESSING

Every memory location in your PET contains one byte of information. In order for PET to get at these bytes it must have a means of accessing them. Therefore each and every memory location has its own individual address; all 65536 of them. The microprocessor places these addresses on the address buss which immediately enables one memory location to the data buss. Bearing that in mind, one of two operations can happen now. PET can either place a byte into that location (i.e. POKE) or "look" at what's already there (i.e. PEEK). When performing the first operation the microprocessor places a byte on the data buss and transfers it along the buss and into the enabled memory location.

In the second operation, the information or byte in the enabled location is transferred onto the data buss and along
the data buss back to the microprocessor. This location is not "emptied" but rather only a duplicate or copy of the information is transferred. Once either of these operations is complete the microprocessor then places a new address on the address buss and another location is enabled. This process repeats thousands of times every second, however these operations aren't possible on all memory locations, but I'll explain this later.

The microprocessor has control of $99.9 \%$ of the addresses being placed on the address buss. That extra $0.1 \%$ control was left for the user and can be obtained through use of the PEEK, POKE and SYS commands. When executing these commands the user must choose an address. This address will be one of the 65,536 memory locations (i.e. O to 65535). This is where the memory map enters the picture. The memory map may well be your most powerful tool for choosing addresses. If you look at the map you'll see that all of the addresses are listed in ascending order down the left hand side; first in hexadecimal and then in decimal. (See section on hexadecimal and binary for explanation of this conversion) the decimal address is the one you use when executing the above 3 BASIC commands. To the right are the descriptions of what you can expect to find at the corresponding addresses. If we then PEEK these addresses we are returned the actual bytes that are in those particular memory locations. For example, let's say during a program we hit the STOP key and got:

> BREAK IN 600 READY.
> ©

PET gets '600' from a storage register at addresses 138 and 139 . We could also PEEK these locations and find that 600 is indeed stored in 138, 139. However it is not stored as a six, a zero and a zero. Instead it is stored as the decimal conversion of
the line numbers representation in hexadecimal. All information of this type is returned in this manner. Now that we know what the memory map will help us do let's cover some of the rules.

## RAM and ROM

We all go through life with basically 3 types of memory:

1. MEMORY PRESENT: This memory we use to remember things like what street we're driving on or our present location.
2. MEMORY PERMANENT: Things like our names and fire is hot we never forget.
3. MEMORY PAST: Recent occurrences and not so recent such as things we did 10 or 12 years ago.

In the PET there are only two:

1. RAM Random Access Memory: This type of storage is used for our programs and things that change such as the clock and previous line number.
2. ROM Read Only Memory: This is PET's permanent memory. In ROM are the addition routines, clock updating routines and loading routines to name a few. These functions would have to programmed into PET on each power up if they weren't permanently 'burnt in'.

The third type, memory past, is instantly 'forgotten' on power down. The only way to recall it is to first save it on tape, disc, etc.

Recall earlier I mentioned that POKE and PEEK aren't possible on all memory locations for several reasons:
A. Not all PET memory locations actually exist. On the memory map, locations 1024 to 32767 is the 'available RAM including expansion'. If you have a PET with 8 K , simple arithmetic
shows that $3 / 4$ of the available RAM space is non-existent. If you decide to expand your system, PET will 'fit' the added RAM into this area. However POKing or PEEKing this space (i.e. 8192 to 32767 ) will return invalid results on 8K PETs.
B. The same concept applies to locations 36864 to 49151. This is the available ROM expansion area.
C. Next on the memory map is the Microsoft BASIC area; locations 49152 to 57463. This is the memory that recognizes and performs your commands. Changing the contents of these locations is impossible because it is Read Only Memory and is actually 'burnt in' at the factory. Therefore, POKing these locations will simply do nothing. Also, Microsoft requested that these locations return zeros if PEEKed (for copyright reasons).

With these 3 rules and your memory map you are now equipped to explore capabilities of your PET that you probably never thought possible. Before we try some examples let's go into one more important occurrence that may have had you scratching your head ever since that first power up.

## MISSING MEMORY?

When you turn on your 8 K (where $\mathbf{K}=1024$ ) PET, the first thing it tells you is 7167 BYTES FREE; a reduction of almost $12 \%$. Q. Where did the missing 1024 bytes go?
A. It's still there...right below the available RAM space (notice it starts at location 1024). PET uses this memory to do some very useful operations for you which you can find and access by looking them up on the memory map.
Q. But why not do this in ROM space?
A. PET needs RAM type memory to store this data because it is always changing. The information in this "low" end of memory is actually produced by routines found in ROM.

Take for example the built-in clock. The clock or time is stored in locations 512, 513 and 514 of RAM. However the data comes from a routine found in ROM at location $F 736_{\text {hex }} \cdot$ The time is of course always changing, therefore it must be stored in RAM. But because it is in RAM, you may also change it; either by setting TI or TIW or you can POKE the above 3 locations. Try it.

Now let's try some examples.

1. Location 226 (OOE2 in HEX) holds the position of the cursor on the line. Try these:

POKE 226,20:?"PRINTS AT NEXT SPACE ?"123456789";: ?PEEK(226)
2. Location 245 (00F5 in HEX) stores the line the cursor is presently on (0 to 24). POKing this location will move the cursor to the specified line after a display execution. For example try:
?"A": POKE 245,10:?"B":?"C"

POKE 245,21-1:?"cu":POKE 226,20:?"PRINTS HERE"

The above will move the cursor to line 20 (21-1), print a 'cursor up' on line 21 and display your message starting at column 21 , line 20.

While experimenting with out-of-range values I obtained some rather interesting results. Try POKing location 245 with a number greater than 24, say 40 or 60 , and hit the cursor up/down key a number of times. Also, experiment with unusual numbers in location 226 such as:
3. Location 526 is the reverse field flag. POKing this address with a non-zero value will execute the following same line print statements in RVS field. Once finished, PET resets 526 to zero. Try this:

POKE 526, 1:?"123":?"456"
now INST a semi-colon between $3^{\prime \prime}$ and the colon (i.e. ...23";:?"4...) and re-execute.
4. Notice below the RVS field flag is location 525; the number of characters in the keyboard buffer. Above the RVS flag is the buffer itself at locations 527 through 536. Although this designates 10 buffer locations, there are actually only 9. The tenth (536) is for some reason a "dead" location. During program execution, the operating system scans the keyboard every 60th of a second. If keys are typed say during a 'FOR-NEXT' loop, they are stored in the keyboard buffer until the program encounters a GET or an INPUT. * PET then 'draws out' the contents of the buffer and implements them according to the command involved (GET or INPUT). However, if more than 9 keys are typed during the loop, PET erases the entire contents of the buffer and continues to fill the buffer with the loth character as if it were the first, and so on ("modulo 10").
*or after a BREAK, READY.

In the command mode (i.e. when you're operating PET directly all typed keys go first into the keyboard buffer and then into screen memory or VIDEO RAM. However you may also load the buffer under program control by POKing the ASCII representations of the characters into sequential locations of the buffer. You must also increment by $l$ the contents of 525 each time another character is POKed in, but remember -not past 9. Page 6 of "Transactor" \#2 contains a table of all the values for characters and commands. "Transactor" \#l, page 12 lists some extras such as cursor controls and the RETURN key (13). Try the following endless loop. 145 is a cursor up

POKE 525,4: POKE527,145: POKE528,145: POKE529,145:POKE530,13

Some other interesting items are:

$$
\begin{aligned}
& \text { POKE59409,52 - Blanks screen } \\
& \text { POKE59409,61 - Screen back on } \\
& \text { POKE59411,53 - Turns cassette motor on } \\
& \text { POKE59411,61 - Turns motor off } \\
& \text { POKE59468,14 - Lower case mode } \\
& \text { POKE59468,12 - Graphics mode } \\
& \text { POKE537,136 - Disables STOP key and clock }
\end{aligned}
$$

If anyone knows of or discovers any peculiarities by "POKing" around, please send them in. When I receive enough of them a handy dandy 'PETRIX' card will be included in a future "Transactor" bulletin.

THE SYStem COMMAND
On the last three pages of the memory map are listings of the subroutines stored in PET ROM that perform your commands and programs. These subroutines are stored as machine language.

When a SYS command is executed PET jumps to the specified decimal address and continues from there in machine language. Take for example the Machine Language Monitor program. This is a machine language program and is initialized by a SYS command stored as a BASIC program line. IOAD and RUN your M.L.M. then type 'X' and hit 'REIURN' to exit to BASIC. Now list. What you'll see is:

10 SYS (1039)

Location 1039 is the address to which PET will jump and also the address at which the first maching language instruction is stored. (A listing of all of the M.I.M. instructions is in "Transactor" \#5, pages 5A and 5B) . When this BASIC line is executed PET operates in machine code beginning with address 1039.

The SYS command does not require brackets around the specified address.

Since PET has its subroutines stored in machine language you can use the SYS command to access and execute them. However you may come up with some rather peculiar if not disastrous results. When jumping into ROM you may find yourself in the middle ofasubroutine or at the beginning of a subroutine belonging to a major function routine. Often PET will 'hang-up' or crash and you will be forced to power down to resume normal operation. To demonstrate jumping into the middle of a routine, try the following examples:

```
1. SYS52764 (CEIC)
2. SYS62498(F422)
3. POKE523,1:SYS62498(F422)
4. SYS62463 (F3FF)
5. SYS64824 (FD48)
```

The numbers on the right are the addresses of the above subroutines in hexadecimal. Compare them to the memory map, especially for e.g. \#l. Also take a look at 523.

The following are examples of valid locations which you can use with the SYS command to access useful routines, however these routines are already accessible through BASIC.

1. SYS62651 (F346)
2. SYS62278 (F4BB)
3. SYS63134 (F69E)

Example \#3 will perform a 'SAVE' but will not produce a tape header.

Experiment with your memory map. Hex to decimal conversions can be obtained using the method following this article.

SUMMARY
This has been merely 'a scratch on the surface' of the extremely complex inner workings of PET. Do not be afraid to experiment with the POKE and SYS commands. There is absolutely nothing you can do to harm PET from the keyboard that turning power off and on won't fix. Also do some PEEKing around especially in low end memory. One good way is to write a small monitor program:

$$
\text { 10?"c"PEEK(516):GOTO } 10
$$

The above will monitor the 'SHIFT' key. Try running it and depress 'SHIFT'. Compare the map.

When POKing or SYSing to random addresses, remember the address you choose. Often PET will do something which may erase the address from the screen (e.g. SYS64840).

The addresses that have been listed here are only a few of many that are already known and only a minute percentage of the ones not known. Probe around and send in any discoveries, useful, peculiar or otherwise. They will be collected together and published in a future "Transactor" bulletin.

BINARY to HEXADECIMAL to DECIMAI

We all know how to count in base 10 or decimal. We start at zero and count one...two...three and so on to nine. Once nine is reached we've run out of numbers, that is single digit numbers. So in order to continue we must now make use of two digits; we place a "l" in the lo's column and reset the l's column back to zero. Continuing from here, sooner or later we would reach 99. Adding "l" would generate a carry into the lo's column and this in turn will generate a carry into the l00's columns to zeros.

This explanation of base 10 was given simply to demonstrate how we actually do our counting that we just do naturally. Binary is much simpler than decimal because there are only two numbers to worry about; zero (0) and one (1).

$$
\begin{array}{ll}
\text { Base } 2 \text { number set } & \text { Base } 10 \text { number set } \\
0,1 & 0,1,2,3,4,5,6,7,8,9
\end{array}
$$

With a little practise you'll see that counting in Binary is just as easy as counting in decimal.

Binary is base 2 ('Bi') just as decimal is base 10 ('Deci') just as hexadecimal is base 16 ('Hexadeci') but I'll talk about the "HEX" numbering system later.

In base 10 we are 'allowed' to count up to 9 before carrying the "l" into the next column. Generally in any base we count to one less than the base \# and generate a carry into the next column. In base 2 we count up to "l" and do our carry. Just as we cannot fit a "l0" base ten into one column we cannot fit a. "2" base two into one column. The base \# is most important. Let's illustrate by comparison.

|  | NUMBER REPRESENTATION IN: |  |
| :---: | :---: | :---: |
| NUMBER | BASE 2 | BASE 10 |
|  |  |  |
| 0 | 0000 | 0000 |
| 1 | 0001 | 0001 |
| 2 | 0010 | 0002 |
| 3 | 0011 | 0003 |
| 4 | 0100 | 0004 |
| 5 | 0101 | 0005 |
| 6 | 0110 | 0006 |
| 7 | 0111 | 0007 |
| 9 | 1000 | 0008 |
| 10 | 1001 | 0009 |
| 11 | 1010 | 0010 |

Notice how in binary, on every multiple of 2 a carry is generated whereas in decimal the carry is generated upon multiples of 10 .

Let's now define the columns of the two number bases. In base 10 we have the l's column, 10's column, 100's column and so on. Each column is the previous column times ten; $1=0.1 \mathrm{x}$ $10,10=1 \mathrm{x} 10,100=10 \mathrm{x} 10$ and so on. We can also represent these using exponents; $1=10^{\circ}, 10=10^{1}, 100=10^{2}$ ( 10 'squared'), $1000=10^{3}$ (10 'cubed'), and so on. In base two each column is the previous column times two; we have the I's column, 2's column, $4^{\prime}$ s column, $8^{\prime} s, 16^{\prime} s, 32 ' s$ and on. Using exponent representation, $1=2^{0}, 2=2^{1}, 4=2^{2}, 8=2^{3}, 16=2^{4}$, $32=2^{5}$, and so on. Now let's represent some numbers of the two bases using their column breakdown:

$$
\begin{aligned}
2_{\text {base }} 10 & =0002=0 \times 1000+0 \times 100+0 \times 10+2 \times 1 \\
2 \text { base } 2 & =0010=0 \times 8+0 \times 4+1 \times 2+0 \times 1 \\
7_{10} & =0007=0 \times 1000+0 \times 100+0 \times 10+7 \times 1 \\
7_{2} & =0111=0 \times 8+1 \times 4+1 \times 2+1 \times 1 \\
12_{10} & =0012=0 \times 1000+0 \times 100+1 \times 10+2 \times 1 \\
12_{2} & =1100=1 \times 8+1 \times 4+0 \times 2+0 \times 1
\end{aligned}
$$

The same three examples using exponent representation will be:

$$
\begin{aligned}
2 & =0002=0 \times 10^{3}+0 \times 10^{2}+0 \times 10^{4}+2 \times 10^{0} \\
2 & =0010=0 \times 2^{3}+0 \times 2^{2}+1 \times 2^{1}+0 \times 2^{0} \\
7 & =0007=0 \times 10^{3}+0 \times 10^{2}+0 \times 10^{1}+7 \times 10^{0} \\
7 & =0111=0 \times 2^{2}+1 \times 2^{2}+1 \times 2^{4}+1 \times 2^{0} \\
12 & =0012=0 \times 10^{3}+0 \times 10^{2}+1 \times 10^{4}+2 \times 10^{0} \\
12 & =1100=1 \times 2^{3}+1 \times 2^{2}+0 \times 2^{4}+0 \times 2^{0}
\end{aligned}
$$

$$
\begin{array}{ll}
2^{0}=1 & 2^{4}=16 \\
2^{1}=2 & 2^{5}=32 \\
2^{2}=4 & 2^{6}=64 \\
2^{3}=8 & 2^{7}=128
\end{array}
$$

Use this table as a reference for the following exercises.

Try the following example on representing decimal numbers in binary by placing a 1 or a 0 in the correct column position.


What must be done to represent the number 16 in binary. If you said " A fifth digit must be used at the leftmost position ", then you're absolutely right. Except for one thing: digit is a word we use in decimal. In binary we use the word BIT derived from Binary digIT. By implementing a fifth bit it is now possible to represent numbers greater than 16 but only up to 31. Once past 31 , a sixth bit position must be used. Continue with the exercise. Notice the leftmost column values have changed.

| NUMBER <br> 16 | $=$ | $2^{5}$ | $2^{4}$ | $2^{3}$ | $2^{2}$ | $2^{1}$ | $2^{0}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 21 | $=$ | - | - | - | - | - |  |
| 28 | $=$ | - | - | - | - | - | - |
| 32 | $=$ | - | - | - | - | - | - |
| 51 | $=$ | - | - | - | - | - | - |
| 62 | $=$ | - | - | - | - | - | - |
| 63 | $=$ | - | - | - | - | - | - |

What would be the highest posible number you could represent using only 6 bits?

|  |  |  | $2^{7}$ | $2^{6}$ | $2{ }^{5}$ | 24 | $2{ }^{3}$ | $2{ }^{2}$ | 2 | $2^{\circ}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | ? | = |  |  | 1 | $\underline{1}$ | $\underline{1}$ | $\underline{1}$ | $\underline{1}$ | $\underline{1}$ |
| 7 bits? |  |  |  |  |  |  |  |  |  |  |
|  | ? | = |  | 1 | $\underline{1}$ | $\underline{1}$ | 1 | 1 | $\underline{1}$ | 1 |
| 8bits? |  |  |  |  |  |  |  |  |  |  |
|  | $?$ | = | 1 | 1 | 1 | $\underline{1}$ | 1 | $\underline{1}$ | $\underline{1}$ | 1 |

If your answers were 63,127 and 255 , you're correct. Notice how these values are 1 less than the value of the next bit position to the left. $\quad\left(2^{8}=256\right)$

The BYTE

Every memory location in PET is actually one byte. A byte consists of 8 bits. In computer electronics the binary number system is used. This way we can use a high voltage to represent a "I" and a low voltage to represent a "O". Can you imagine the circuitry that would be required to operate a computer in decimal or base 10? Ten unique voltages would have to be used to represent each of the ten digits. Then a separate computer would probably be required to distingusih between them all. By using binary PET must only distinguish between two voltages. Since a 5 volt supply is used for the logic circuitry, anything over 2.4 volts is considered high or a "l" and anything under is considered low or a "O". These voltages are typically 4.8 volts and 0.2 volts, respectively. Each bit of every byte in memory holds one of these voltages. With 8 bits in each byte, 256 combinations can be obtained ( $0-255$ ) as you can see from the above exercise. If you look at the table on page 6, "Transactor \#2, you'll see that all the keys can be encoded into one of these combinations. PET uses some combinations to represent the commands so that they only take up one byte in memory. PET also uses some of these combinations twice to represent graphics as you'll see by comparing the table to page 12 of "Transactor" \#l. PET ROM routines distinguish between commands and graphics.

Try POKing a RAM location, say 6000, with a number greater than 255, say 256. A ?ILJEGAL QUANTITY ERROR will be returned because more than 8 bits are required to represent 256 in binary.

$$
256=\begin{array}{lllllllll}
2^{8} & 2^{7} & 2^{6} & 2^{5} & 2^{4} & 2^{3} & 2^{2} & 2^{1} & 2^{0} \\
1 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0
\end{array}
$$

Essentially, 256 won't 'fit' into a single byte.

Try PEEKing a non-existent memory location, say 10,000:

## ?PEEK(10000)

A 255 will be returned. A unconnected or open line is considered high by PET. Since the byte is not really there, the data buss lines will be open and read as high or all l's by the microprocessor.

Hexadecimal or "HEX"

Hexadecimal means base 16. This means we can count up to 15 before generating a carry. However we can't use the numbers 10, $11,12,13,14$ and 15 ; these take up two columns. We need to represent these numbers using a single character. Therefore we use the first 6 letters of the alphabet.

Hexadecimal number set

$$
\begin{array}{ll}
0,1,2,3,4,5,6,7,8,9, A, B, C, D, E, F \\
A_{16}=10_{10} & D_{16}=13_{10} \\
B_{16}=11_{10} & E_{16}=14_{10} \\
C_{16}=12_{10} & \mathrm{~F}_{16}=15_{10}
\end{array}
$$

When counting in HEX we generate our carry upon 16:

$$
\begin{aligned}
& 14_{10}=\underset{1}{E} \\
& 15_{10}=\underset{16}{F} \\
& 16_{10}=10_{16}
\end{aligned}
$$

Recall in binary, 4 bits will yield a maximum of 15

$$
15_{10}=1111_{2}=F_{16}
$$

Now since a byte has 8 bits, we can split it up into two fields of our and then represent it as two hexadecimal characters.

$$
\begin{aligned}
4_{10} & =0000{100_{2}}=04_{16} \\
12_{10} & =00001100_{2}=0 C_{16} \\
255_{10} & =1111111_{2}=\text { FF }_{16}
\end{aligned}
$$

## HEX Addresses

We won't discuss how a byte recognizes its own address; this is buried deep inside the integrated electronics of the IC chips. The address buss consists of 16 lines, 0 through 15. PET needs this many lines to address all 65,536 bytes. Because location 0 (zero) is included, the maximum address obtainable is 65,535 in decimal. When this location is addressed, all 16 lines of the address buss will have ahigh voltage. In other words logic 1.

| 65,535 | $=1$ |
| ---: | :--- | $1^{2^{15}} 1^{2^{14}} \quad 2^{13} \quad 1 \quad 2^{12}$

On PET $=2115+2114+\ldots 210$ Try it.

If we now split the 16 columns into four fields of four we can also represent each field using a hexadecimal character thus converting decimal to hexadecimal as Jim has on the left of the memory map.

$$
\begin{aligned}
65,535_{10} & =1111111111111111 \\
& =\underset{\mathrm{FFFF}_{16}}{ }(2)
\end{aligned}
$$

Recall e.g. \#l of the SYS command (pg.8)

$$
\begin{aligned}
52764_{10} & =1100111000011100(2) \\
& =\text { CE1C } 16
\end{aligned}
$$

When operating PET, the decimal addresses are used for PEEK, POKE and SYS. Therefore you probably won't find yourself converting from decimal to HEX when using BASIC. However you will need to convert from HEX to decimal when you want to SYS to those ROM subroutines.

$$
\begin{aligned}
\text { CE1C }_{16} & =1100111000011100 \\
& =2^{15}+2^{14}+2^{11}+2^{10}+2^{9}+2^{4}+2^{3}+2^{2} \\
\text { ON PET } & =2115+2114+2 \uparrow 11+2 \uparrow 10+219+2+4+2+3+242 \\
& =52764_{10}
\end{aligned}
$$

$$
\begin{aligned}
{\mathrm{F} 422_{16}} & =1111010000100010 \\
& =2^{15}+2^{14}+2^{13}+2^{12}+2^{10}+2^{6}+2^{1} \\
\text { On PET } & =2115+2414+2113+2112+2110+215+211 \\
& =62498_{10}
\end{aligned}
$$

Try verifying some of the other examples using the same conversion method. With a little practice HEX conversions will be as easy as counting to ' $F$ '.

## CAMERA FAIR:

The T. Eaton Company of Canada is holding their 2nd Annual Camera Fair; a camera clinic for photography enthusiasts. Representatives of 10 camera manufacturers will be there to answer questions and Eaton's has invited Commodore to participate with a PET program clinic. Karl Hildon will be there to demonstrate the new big keyboard PET, answer programming questions and give print-outs of your personal computerized biorhythm. Some club programs will be available for copying (limit 1 per customer).

PLACE: EATON CENTRE, Downtown Toronto (Dundas \& Yonge)
Show dates are: April 5th - 11:00 a.m. - 3:00 p.m. April 6th - 5:00 p.m. - 8:00 p.m. April 7th - 10:00 a.m. - 5:00 p.m.

Hope to see you there:

FOR YOUR INFORMATION:

The subscription form for the 1979 "TRANSACTOR" bulletin will be in next month's issue.... Don't miss it:

Karl J.

COMME CTAL COA USION,
Jim Butterfield
or.
"Where"d the penry go?"
FT: is certainly the greatest business tool since electric ne"cil sharperers, and printers and cloppy
disks will herald ar explosio of commercial apprifations.
Basic seems like the ideal language for a small
business system - but it has a hidden "gotcha" that will give you problems is you don't know how to hardle it. T call it, "the missing pennies problem", and t's common to almost all Basic implementations.

Crank up your FEP and try this: PRINT 2.23-2.18-- it's a simple busi ess calculatio and the answer has gotta be a rickel, repht' So how come PE" says . 049999999 ?
Think 0 " the mess this could cause ic you're printinf out eat columns o dollar-and-cent results hink o the problems if you arrange to print the irst two places behind the decimal point: you'll pr t. 04 instead of .051 hi k o what the auditor will say wher he fonds that the totals do"t add up correctlyl

Ir a mome t we'll discuss how to get rid of this problem. First, though, let's see how it happers.
IF. holds umbers in loating binary. hat means certai*
fract os don't work out eve ly. Just as, in decimal, o e third works out to .333333. an e diess rumber, 15 sees ract 0 like 10 or 6 as endless repeat $g$ ractiors - in binary o the raction ir memory, it must trim it hus, mary ractons such as .37 are adjusted slightly before storage.
ry th's program: it will tell you how rumbers are stored inside FE?:
100 TTU"AMOUY"; $A: B=I!(A): C=A-B: A ; "=" B ; "$ ";
 120 ?: GO 0100

If you try entering numbers in our above example, 2.23 and 2.16 , you'll see how EE? stores them - and why the problems happer.
How to fix the problem Easy. Change all umbers to pen ies - which elimi ates iractions - and your troubles disappear. For example:
340 IIEU"AMOUNT"; $A: A=I ?(A * 100+.5)$ converts $A$ to perites;
760 FAIT $\mathcal{A} / 100$ outputs pennies i: dollars-and-cents
115 FRINT"FOF *HIL" ITEME. JUST FRESS FRETUFN"."
$11 E$ FRINT"FOF "MLLTIFLE" ENTEIES. ENTEF HVOUNT"
117 FRINT"FPD FEESS * + IWSTEHD OF "RETURN" TO"
11: FEINT"STGHAL MOFE ITEME TO COWE."
120 DEFFNSCM = $C M+5-H E E M-532$
IEE DEFFPE $(M)=(M+E+H B E C M-E) O Z$

159 DEFFNT《M)=THT $W+16 \mathrm{E}+\mathrm{E}$ )
$200 F 1=1:=1: F=1: G 05102000$










284 I事""UTE FFEMTUFE" MUEUE2LES









वि











$4 \mathrm{OHTH} \mathrm{OEG4}$ W玉1. E
560 F1: $=1: 60112016$
510 DHTHO1260. 30192,43
520 DATA59315, 177\%5. 3
50 DमTनख6504, 55: 36
540 [OFTH21294, 4654. 22
550 DHTH1ETE1. $\because 7 \mathrm{ZB}$
560 [HTH1S689. 261E 25
575 DATH1ES47, 1910. 22
5 SW OHTHFE日5. $12 \mathrm{Z}, 21$
$59 \mathrm{OHTH} 45 \mathrm{E}, 7 \mathrm{BQ} .19$

```
GE DHTHEE42. 428. 13
610 DHTH1521. 167. 17
Ged [ATHTEL, 4E, 16
EG DHTH-1E1E. 0.5
640 DHTH-1
```









```
F10 IFI<SE4OOTOT4
\(720 \quad 1 F \mathrm{C}=\triangle \mathrm{SE} \mathrm{ETHENI}=5 \mathrm{~F}: \mathrm{GOTOF} \mathrm{A}\)
```




```
GSG It="FEDULTIOR FOF OHILDFEN" GOEUE21EO
```




















```
16GE
```















```
    12O SUGUE=EGE:FFINT
    1595 END
```



```
    EQTG FEINT : FRINT"====SCHEDULE":
    2Q2G PRINTFL: "OF FETLHFd=:=":FETIIFW
```



```
    <11Q 'T'事="":FEIHT"s":
    2120 GETE& IFQ$=""GUTGE12e
```




```
    2136 1F2\=", "GOTME145
```




```
    2142 TFE=13HRUI=GTHENFFINT"*;
```



```
    244 GuT02120
    245 TS=T支+2$
    *14: FEJNT2* : GOTU2120
```






```
    2-% Mm|le IFMELEATHENFEINTE来;
    2=40 IFM=1QTHENFRTHT", ";:Z=N
    <2E4 If+Q-160T02210
    20日 1FPGRTHEDFETNT"GF";
    %?G FETPT FETUFE
```



```
FEFO%
```


## USER PORT COOKBOOK

Recall last month the User Port Cookbook was included with the "Transactor". Since then an error has been brought to my attention. The cardedge illustration of the User Port on the front page is reversed. Compare it to the actual cardedge at the back of your PET and notice the polarization slots. Although the pin names correspond correctly, the illustration is essentially the "mirror image". Below is the corrected version which you can cut out and paste over top.




